

<b>1</b>	$(10 - 2) \times 180$ oe (= 1440) <b>or</b> $(6 - 2) \times 180$ oe (= 720)		4	M1	for a method to find the sum of the interior angles of a decagon or a hexagon
	'1440' - 148 - 2×150 - 2×168 - 2×134 - 2×125 (=138) <b>or</b> '1440' - 1302 (= 138) <b>or</b> '720' - 148÷2 - 150 - 168 - 134 - 125 (= 69) <b>or</b> '720' - 651 (= 69)			M1	Allow omission of one angle
	$360 - '138'$ <b>or</b> $360 - 2 \times '69'$			M1	
		222		A1	
	<b>Alternative method (exterior angles)</b>				
	$360 - 2 \times (180 - 125) - 2 \times (180 - 134) - 2 \times (180 - 168) - 2 \times (180 - 150) - (180 - 148)$ <b>or</b> $360 - 2 \times 55 - 2 \times 46 - 2 \times 12 - 2 \times 30 - 32$		4	M2	If not M2 then award M1 for at least 3 or (180 - 125) , (180 - 134) , (180 - 168) , (180 - 150), (180 - 148) <b>or</b> at least 3 of 55, 46, 12, 30, 32
	$180 + '42'$			M1	
		222		A1	
					<b>Total 4 marks</b>

<b>2</b>	eg $\frac{4}{AC} = \tan 35$ oe <b>or</b> $\frac{AC}{4} = \tan 55$ oe <b>or</b> $\frac{AC}{\sin 55} = \frac{4}{\sin 35}$ oe <b>or</b> $CH = \frac{4}{\sin 35}$ oe (= 6.97...) <b>and</b> $\frac{AC}{"6.97"} = \cos 35$ oe <b>or</b> $CH = \frac{4}{\sin 35}$ oe (= 6.97...) <b>and</b> $AC^2 = 6.97^2 - 4^2$ oe			M1	A correct trig statement involving <i>AC</i> <b>or</b> trig and then Pythagoras involving <i>AC</i>
	$(AC =) \frac{4}{\tan 35}$ oe eg $(AC =) 4 \tan 55$ (= 5.71...) <b>or</b> $(AC =) \frac{4 \sin 55}{\sin 35}$ <b>or</b> "6.97" × cos 35 oe <b>or</b> $(AC =) \sqrt{6.97^2 - 4^2}$			M1	complete method to find <i>AC</i>
	$(BC =) \sqrt{5.71^2 - 5^2}$ (= 2.76...)			M1	complete method to find <i>BC</i>
	$4 \times 5 \times "2.76..."$			M1	method to find volume
		55.3	5	A1	accept 55.1 - 55.5
					<b>Total 5 marks</b>

<b>3</b>	$8.5^2 + 5.6^2$ (= 103.61)		3	M1	
	$\sqrt{8.5^2 + 5.6^2}$			M1	
		10.2		A1	Accept 10.1 to 10.2 or better
					<b>Total 3 marks</b>

<b>4</b>	$7x + 3x + 8x = 360$ oe ( $x =$ ) $360 \div 18$ (= 20)		4	M1	M2 for $7x = 140$
	$360 \div (180 - 7 \times "20")$ oe or $360 \div (180 - "140")$			M1	(140 can be on diagram)
	$\frac{(n-2) \times 180}{n} = 7 \times "20"$ oe or $360 \div 40$			M1	for $360 \div$ exterior angle
		9		A1	
					<b>Total 4 marks</b>

<b>5</b>	$360 \div 8$ (= 45) or $360 \div 5$ (= 72) or $180 - (360 \div 8)$ (= 135) oe or $180 - (360 \div 5)$ (= 108) oe		4	M1	finding interior or exterior angle of octagon or pentagon Angles may be seen on diagram – but must be obtuse if interior and acute if exterior.
	'72' - '45' (= 27) or '135' - '108' (= 27)			M1	(dep 1st M1) using a pair of interior or pair of exterior angles to find angle <i>IBC</i> Angle may be seen on diagram.
	$\frac{180 - '27'}{2}$ (= 76.5)			M1	
		76.5		A1	
					<b>Total 4 marks</b>

6	$\frac{360}{10}$ (= 36) ext angle <b>or</b> $\frac{(10 - 2) \times 180}{10}$ (= 144)		4	M1	method to find interior or exterior angle. (angles may be seen on diagram)
	$x = "144" - 90$ (= 54) or $x = \frac{"540" - 3 \times "144"}{2}$ (= 54) or $x = 90 - "36"$ (= 54) 54 on the diagram is insufficient – must see working			M1	method to find $x$ (must show it is intended to be $x$ ) eg use of int angle – $90^\circ$ use of ext angle + $x = 90^\circ$ use of pentagon $GH IJA$  All figures in “ “ must come from correct working
	$BAD = CDA = GDE = DGF = \frac{360 - 2 \times "144"}{2}$ (= 36)			M1	A correct method to find an angle of $36^\circ$ within the shape (not exterior angle) or $36^\circ$ shown in correct place in diagram
	There are other correct methods. Please check for correct working.	$x = 54$ $y = 54$		A1	dep on M3 to find each of $x$ and $y$ and the correct value of 54 for both from correct working
					<b>Total 4 marks</b>
ALT	$ADG = "144" - 2 \times "36"$ (= 72)			M1	
	$JA$ is parallel to $GD$			M1	
	$DGA = DAG$ ( $y$ ) [isosceles triangle]			M1	
	$x = DGA = y$	shown		A1	
	There are other correct methods. Please check for correct working.				<b>Total 4 marks</b>